

MODELLING THE INFLUENCE OF THERMAL EFFLUENTS ON ECOSYSTEM BEHAVIOUR

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ABSTRACT

An important step in managing thermal effluents is calculation of biological/chemical consequences by means of mathematical models. Different types of models can be used. Primary production models based on mass balances for phytoplankton and nutrients can be used for calculating temperature effects on biomasses and rates of biological/chemical processes. Calculation examples are shown.

Calculations of consequences of entrainment are carried out by means of a combined 2-dimensional transport-dispersion and zooplankton growth-model. The results are presented as iso-biomasses of zooplankton.

INTRODUCTION

Rational management of thermal effluents is based on evaluations of consequences of a number of discharge alternatives. Possible biological/chemical consequences of the use of seawater for power plant cooling are increases in rates of biological/chemical processes caused by increased temperatures, and decimation of organisms primarily zooplankton, by entrainment in the cooling water system.

It is difficult to evaluate the total effect of these changes in rates, because the increased temperature will increase as well the primary production process rates as the decomposition process rates. The evaluations are furthermore complicated by the fact that zooplankton entrainment will affect biomasses of both phytoplankton and zooplankton.

Because of these complex interrelations between discharge of thermal effluents, entrainment, and hydraulic conditions in the discharge area quantitative evaluations of consequences by means of mathematical models can be necessary. In this paper two types of models are described:

a one-dimensional primary production model and a two-dimensional zooplankton-entrainment model. The models have been used for planning the location of a nuclear power plant at Gyllingnæs, Denmark, see Fig. 1.

PRIMARY PRODUCTION MODEL

The model used for the Gyllingnæs planning is based on the works by Chen [1] and Di Toro [2]: Models of this type are mainly used for calculating effects of discharges of nutrients to receiving waters. As temperature is an important forcing function in these models, calculations of consequences of thermal effluents can also be carried out, Dahl-Madsen and Møller [3]. A first step in the model-building process is an analysis of the system in view.

Systems Analysis, Hydraulics.

The simplified hydraulic description used for calculating biological/chemical effects is shown in Fig. 1.

The box division and the numeric values in the boxmodel are based on calculations with a two-dimensional hydrodynamic and transport-dispersion model. See Rodenhuis [4].

The transport-dispersion rates are calculated by means of a one-dimensional hydraulic 5-boxmodel. The numeric values used in the boxmodel are shown in TABLE 1.

A complete vertical mixing is assumed in each box. A periodical occurrence of haloclines affects the area by adding nutrients from the nutrient-rich lower water layer. This stochastic phenomena is not taken into account in the model. The accuracy of the modelcalculations is for this reason limited.

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The statevariables of the biological/chemical system are:

- phytoplankton
- zooplankton
- "detritus" in water and sediment
- nutrients
- dissolved oxygen

Important biological/chemical processes are:

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growth of zooplankton
sedimentation of phytoplankton and "detritus"
mineralization of "detritus"

A detailed mathematical formulation of the process rates is given in a Water Quality Institute Report [5]. The mathematical formulation of the phytoplankton growth differs from most eutrophication models by relating the growth to intracellular concentrations of nitrogen and phosphorus, see Nyholm [6].

The forcing functions are:

surface light intensities
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The influence of temperature on the biological/chemical process rates is given by the relation shown in Fig 2.

This simple exponential relationship would be insufficient if the phytoplankton and zooplankton were divided into species or groups of species. A more complex temperature dependency with minima, optima and maxima temperatures for each species group would be necessary as discussed by Scavia.[7]. However, when all species are lumped into one group and calculations are confined to total system behaviour between 0°C and 25°C, a simple relationship is found to give reasonable results. It is naturally not possible by this model to calculate the effect of temperature increase on species succession.

The interrelations of statevariables and processes are shown in Fig. 3. A mass balance for each statevariable and each box produce a set of differential equations which are solved numerically.

Solution and Calibration

In the mathematical equations are used a number of parameter values. The values are obtained through:

direct measurements in the survey area
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In TABLE 2 are shown values of some important parameters.

The results of the calculations are yearly variations of concentrations of state variables and rates of processes.

To study the feasibility of the sea around Gyllingnæs as a site for discharging power plant effluents a number of survey activities have been carried out in 1975 [8].

Yearly variations of phytoplankton, zooplankton, nutrient, and primary production have been measured in the water. The benthic community has been surveyed through measurements of biomasses and production of fauna and flora, and through sedimentological measurements. The data from the measurements in the deeper areas (>5m) of the total survey area have then been used for testing the model calculations. In Fig. 4. are shown comparisons between measured and calculated yearly variations of statevariables.

The calculations can generally reproduce level and variations of the statevariables. However, some significant disagreements between measured and calculated values are also seen.

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Secondly, eventual upwelling of nutrients from nutrient-rich waterlayers are not described.

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In Fig. 5. are shown comparisons between measured and calculated values of accumulated process rates. Reasonable agreements are obtained except for the rate of sedimentation of "detritus". This rate is measured by use of sediment traps, and the measurement accuracy is rather low because of resuspension phenomena.

A more intensive calibration could eventually produce better agreements between measured and calculated values. However, especially the very simplified one-dimensional hydraulic and

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The discharge of thermal effluents in the area will produce an excess temperature as shown in TABLE 1 of approximately 2.7°C in box 1. Furthermore the entrainment is assumed to kill all herbivorous zooplankton and 50% of the carnivorous zooplankton, which pass the cooling water system. Each of these impacts will in itself produce a significant change in variations and levels of state variables and processes. The combined effect of both impacts are shown in Fig. 6. which compares the standard situation (without effluent) with the situation in box 1, 2 and 3.

It can be seen from the calculated changes in Fig. 6. that generally the changes in biomass and concentrations are small compared to the changes in rates, i.e. turnover rates of the system are considerably increased. The phytoplankton production is increased approximately 30%. A part of this increase is passed through zooplankton as the grazing rate is increased approximately 50%. The biomass of herbivorous zooplankton is lower than in the standard situation contrary to the expected decrease because of the entrainment losses. However, the increase in zooplankton biomass can be explained partly by the higher phytoplankton production partly by the decreased predation on the zooplankton.

Furthermore the rates of sedimentation of phytoplankton and "detritus", and the rates of mineralization are increased. The balance between the rates is changed to produce a considerably lower concentration of organic matter in the sediment (75% lower).

ZOOPLANKTON ENTRAINMENT

The one-dimensional approach for describing entrainment consequences has its clear disadvantages in the open water systems. To obtain a more accurate view of spatial variations of zooplankton biomasses as a function of entrainment has been established a combination of a two-dimensional transport-dispersion model and a simplified zooplankton growth model.

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$$\frac{dz}{dt} = r \cdot z \left(\frac{c-z}{c} \right)$$

where: z = zooplankton biomass
 r = maximal specific growth rate
 c = the carrying capacity for the zooplankton population.

This equation is solved for each point of the network.

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It is assumed that the zooplankton biomass is reduced 100% by passing the cooling water system. The basis for the transport-dispersion is tidal exchange with an amplitude of .17m. The biomass distribution is stationary after approximately 50 tidal cycles.

Calculations are carried out for two cases:

$$\underline{r = 0 \text{ day}^{-1}}$$

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DISCUSSION

The analysis of survey results from the Gyllingnæs site investigation by means of mathematical models of primary production and entrainment have been valuable for structuring the survey data and for estimating rates of processes which are difficult to measure. The modelling work has served as a tool in the total evaluation of the sea around Gyllingnæs as receiving water for thermal effluent. However, the two types of models which have been applied in this study have significant limitations.

The one-dimensional model is relatively realistic biological/chemically but very simplified hydraulically. The two-dimensional model gives a relatively realistic transport-dispersion pattern, but the growth equation is very simplified. A more realistic total model of the area could logically be obtained by combining the complex primary production model with the two-dimensional transport-dispersion model. A development of this kind would, however, produce formidable numerical computertechnical problems because of the high number of resulting differential equations. Future modelling work will for this sea area be allocated to the attack of these problems. Furthermore developments to increase the realism of the primary production model will be tried.

REFERENCES

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Boundary					

TABLE 2

Important Parameters for the Primary Production Model

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sedimentation velocity for phytoplankton	m/day	0.5

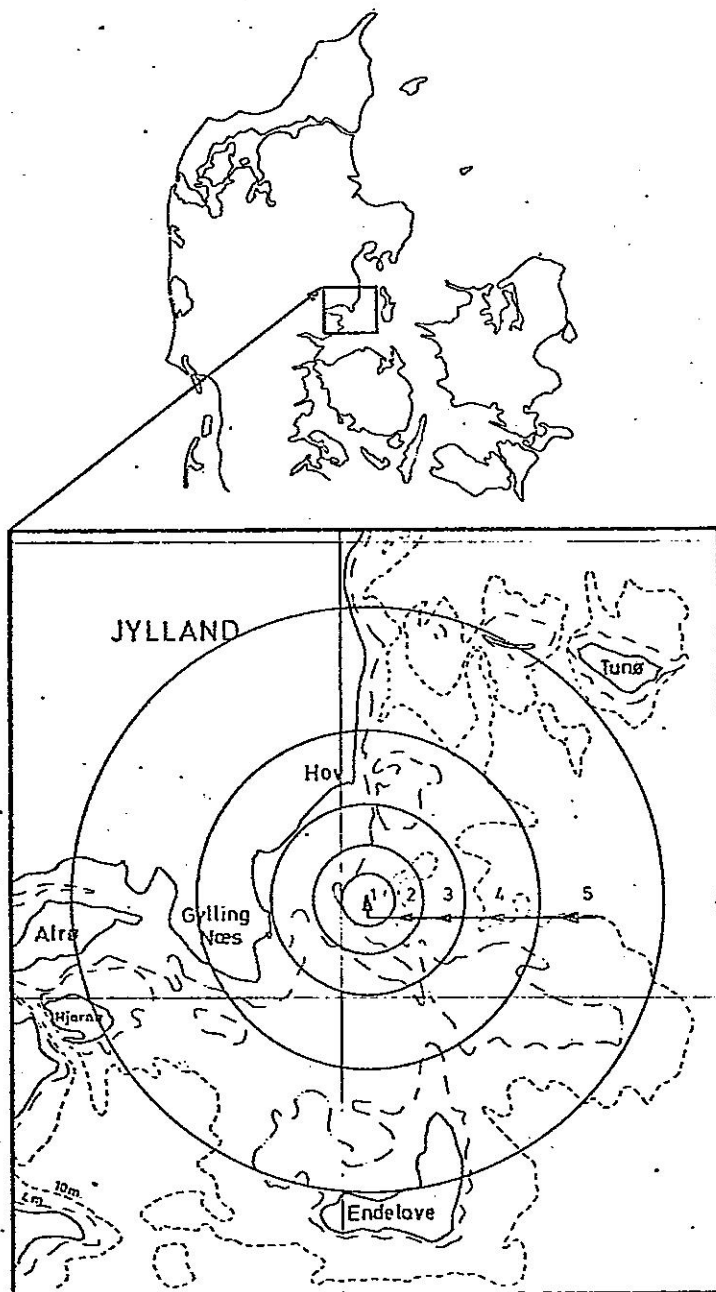


Fig. 1 Survey area and box division for the hydraulic boxmodel.

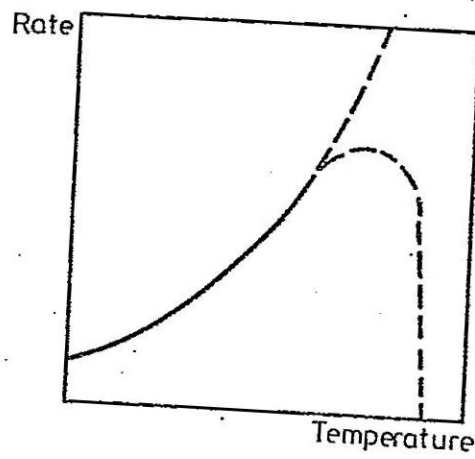
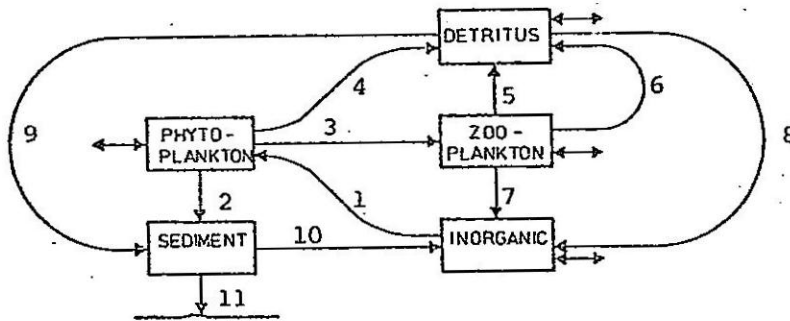


Fig. 2 Influence of temperature on the biological/chemical process rates.

PROCESSES and STATE VARIABLES



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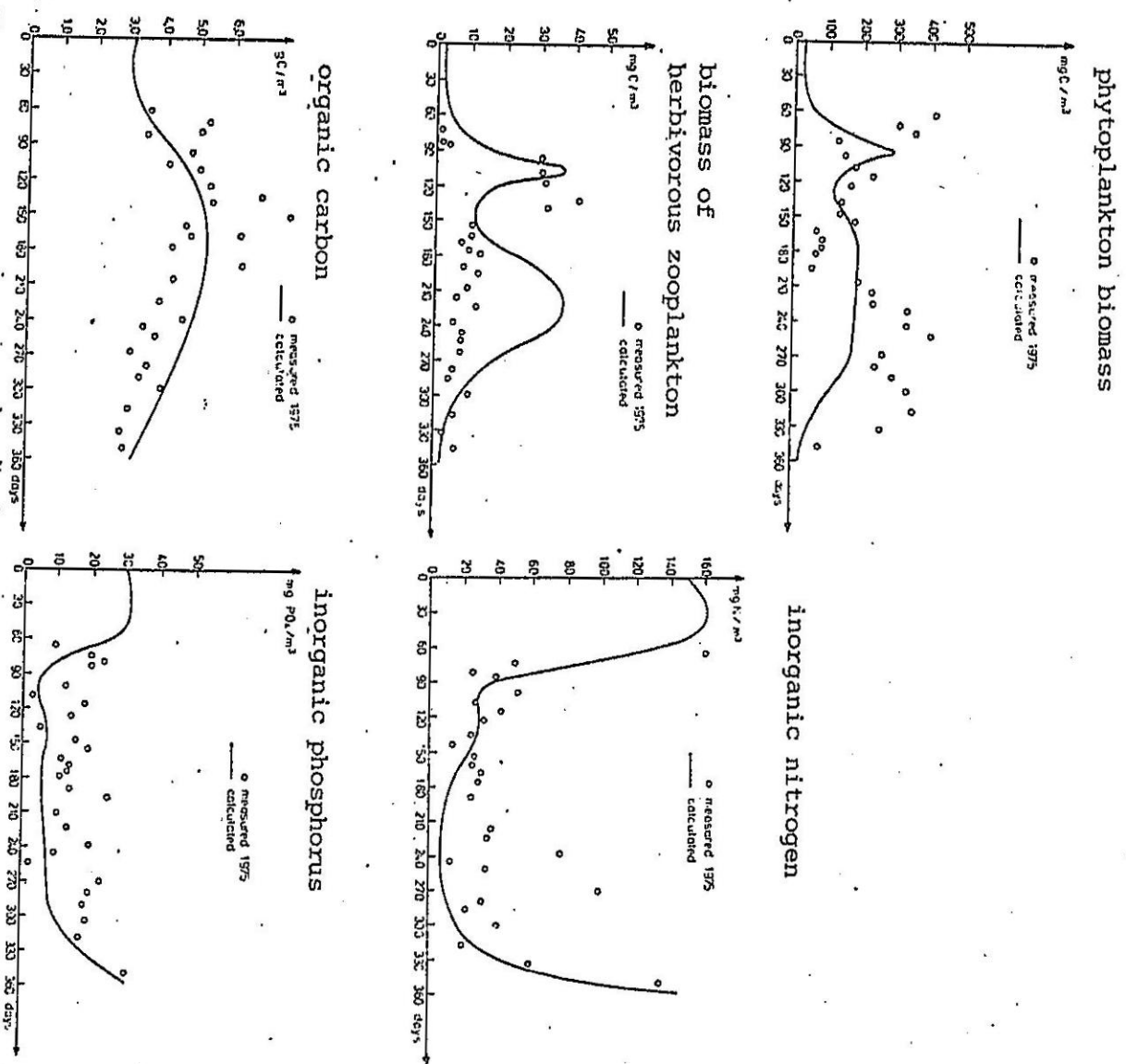
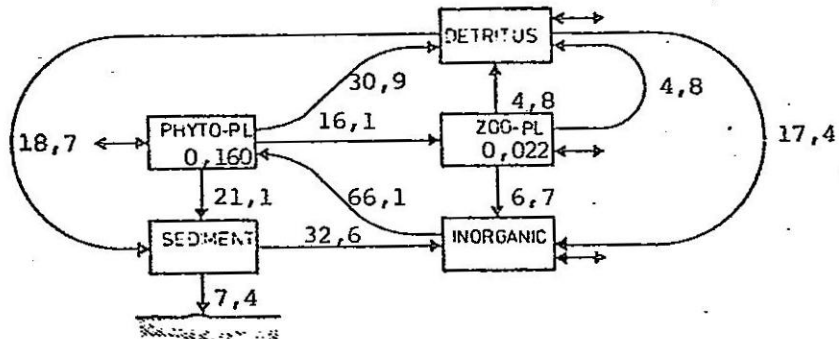


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CALCULATED VALUES



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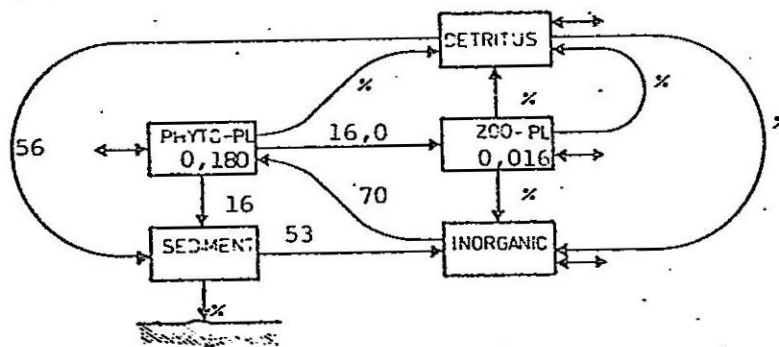


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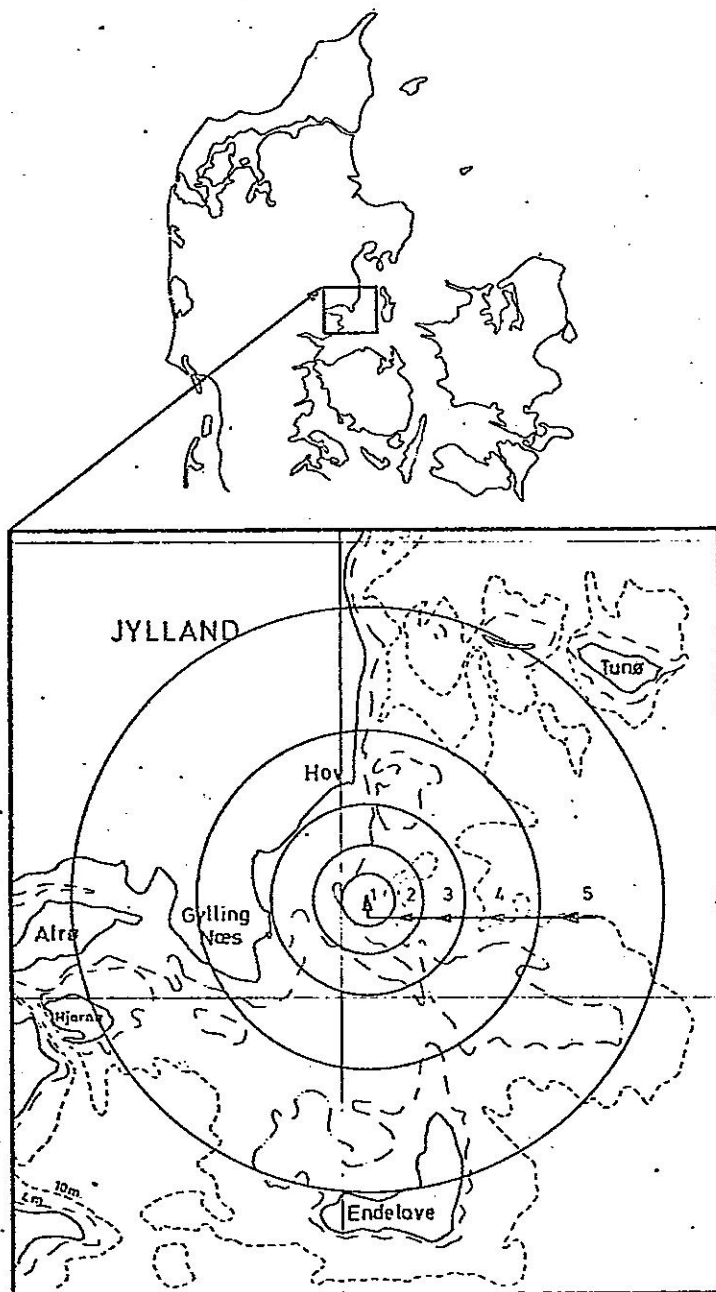


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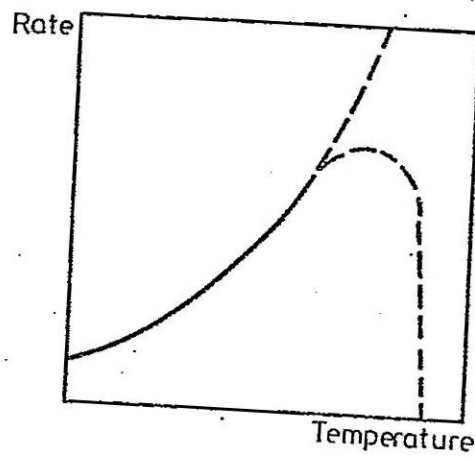
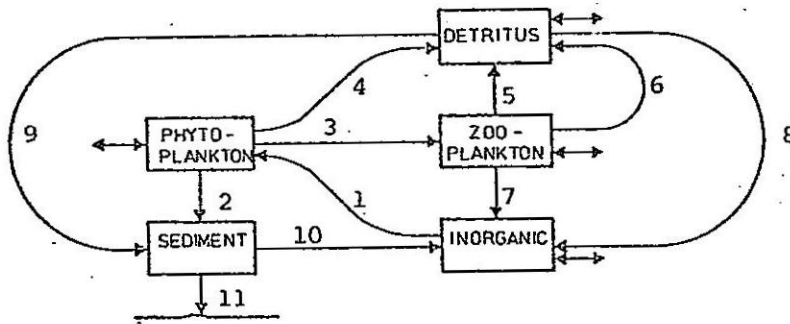


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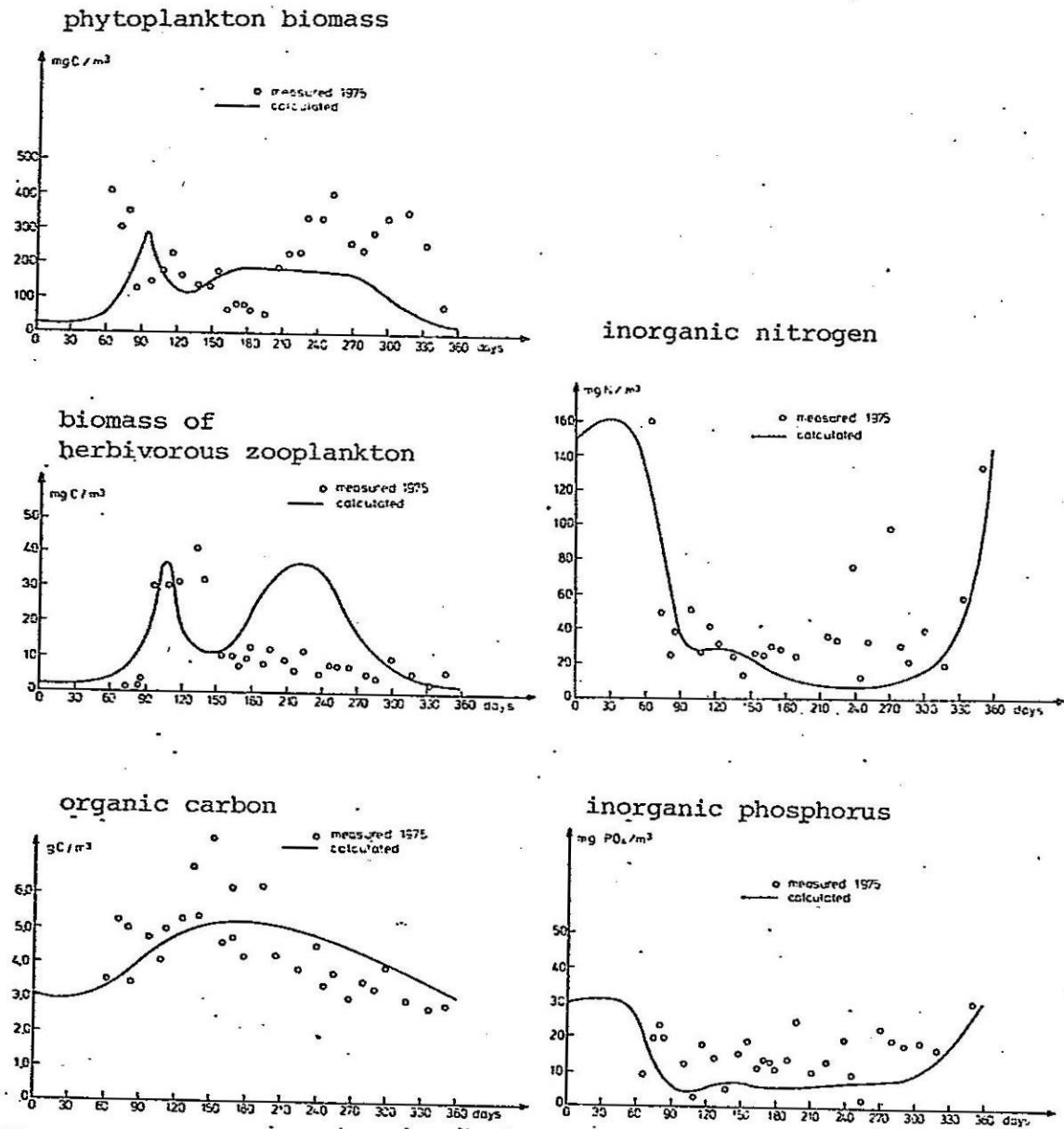
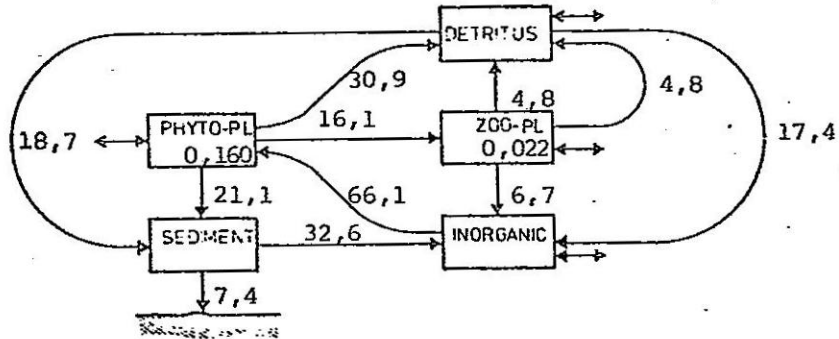


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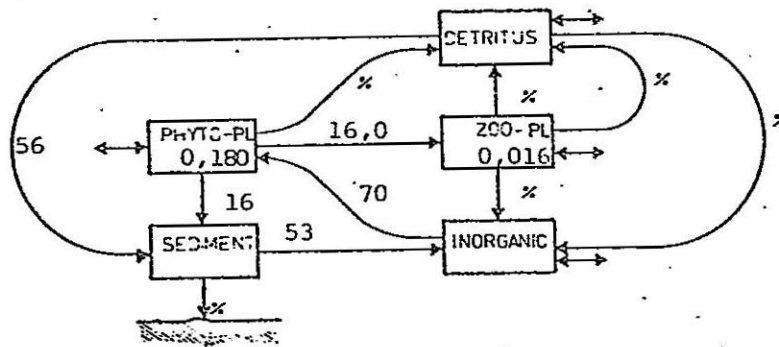


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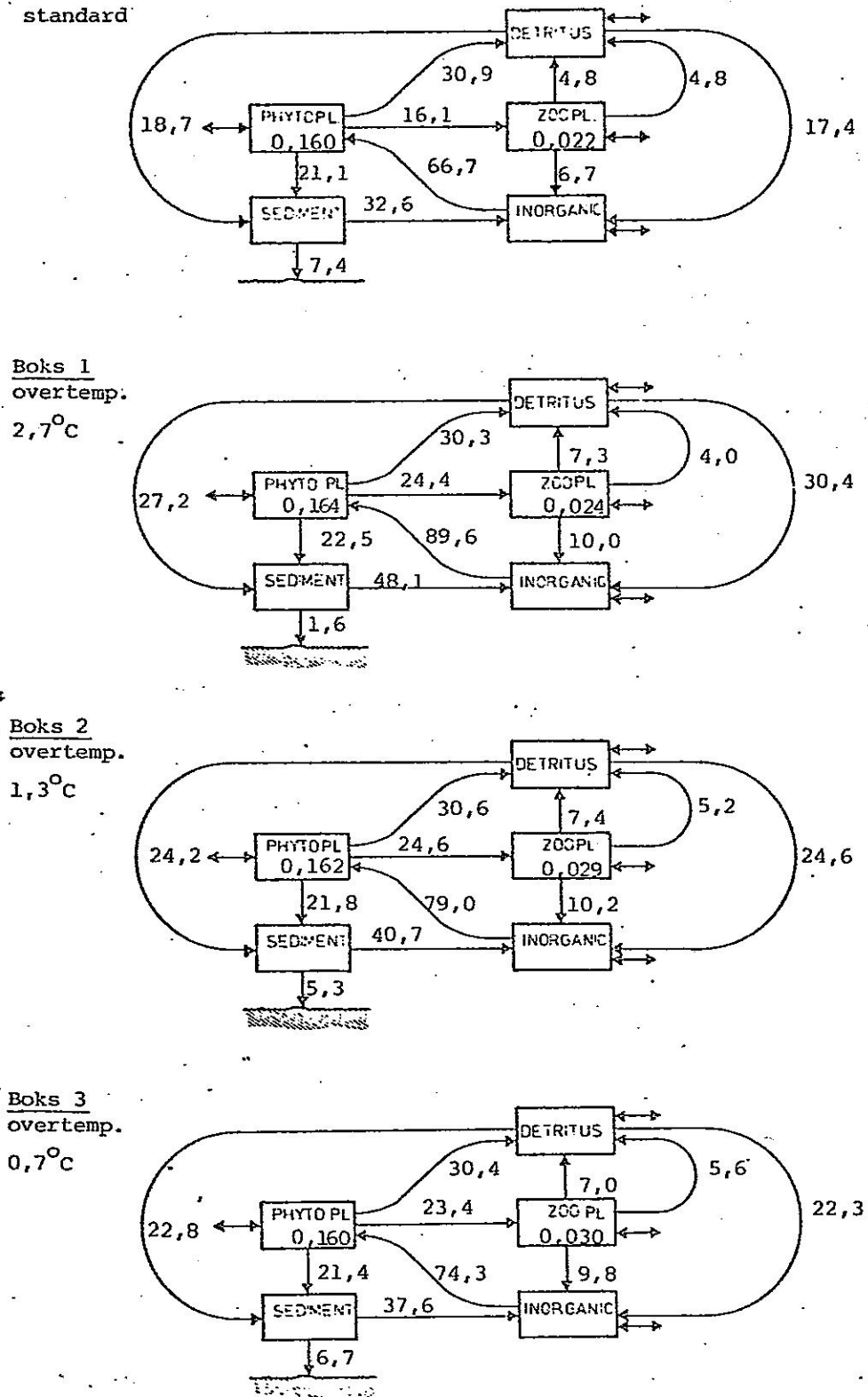


Fig. 6 Calculated changes in process rates caused by increases in temperature.

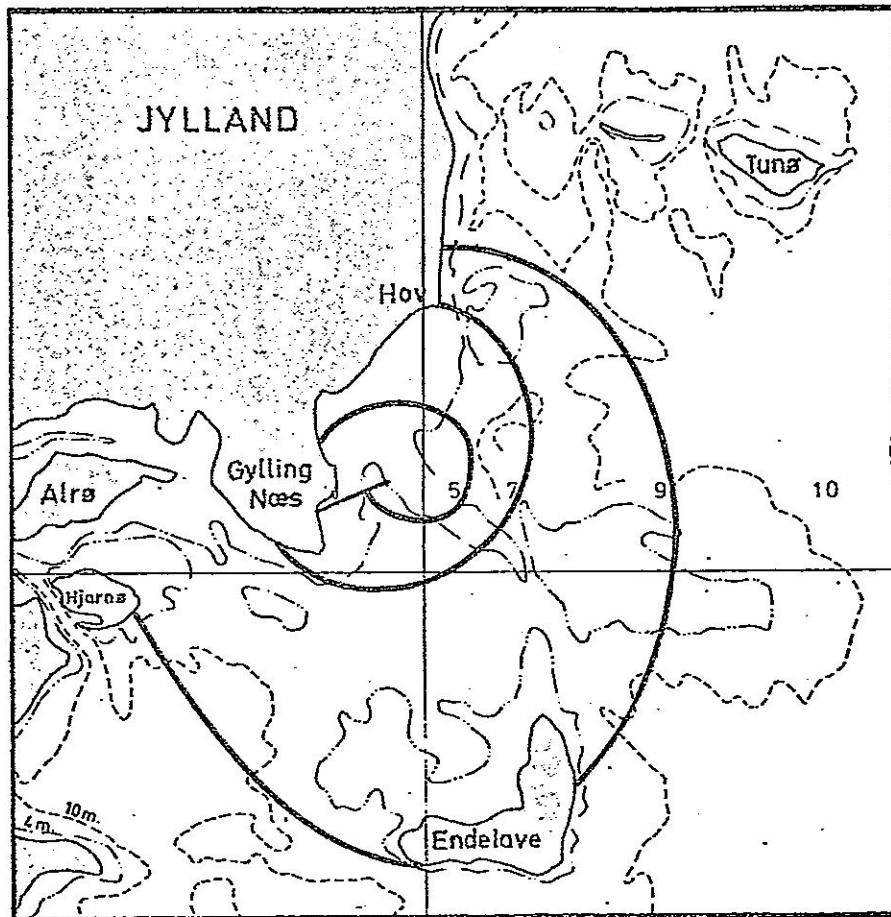


Fig. 7 Relative zooplankton distribution for a zero growth rate.

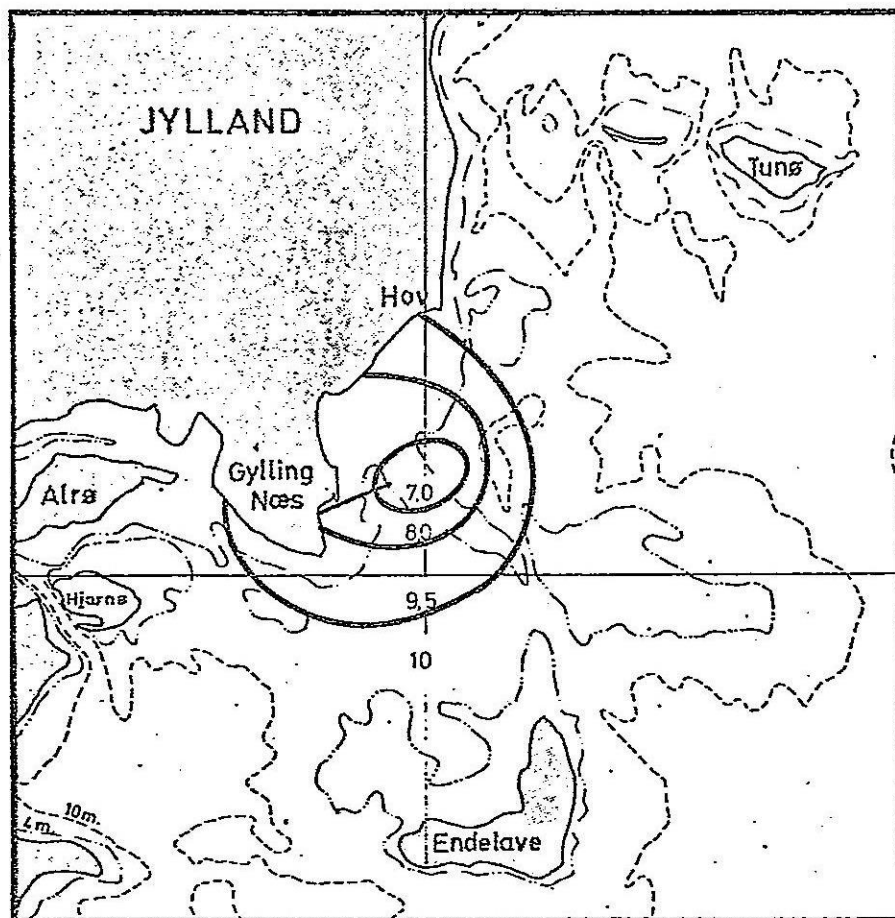


Fig. 8 Relative zooplankton distribution for a growth rate of 0.1 day^{-1} .